

PRACTICE: LESSON 10.4 – ROTATIONS W/ ALGEBRAIC RULE

Name: _____

Learning Goal: I can **rotate** a figure and write the algebraic rule for the **rotation**.

Meta de Aprendizaje: Puedo **rotar** una figura y escribir la regla algebraica para la **rotación**.

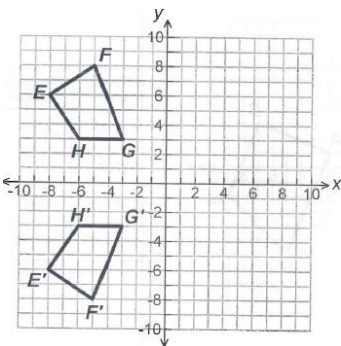
Language Goal: I can write the algebraic rule for a **rotation** and justify my answer to a partner.

Lenguaje Objetivo: Puedo escribir la regla algebraica para una **rotación** y justificar mi respuesta a un compañero.

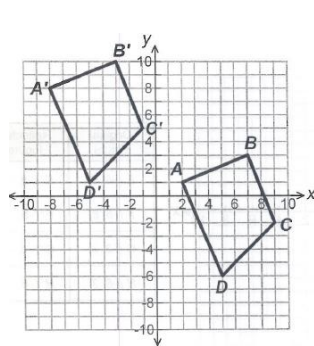
Directions: Use your notes from Lesson 10.1 and Lesson 10.4 to answer the following questions.

- Which rule is the **ONLY** rule that adds or subtracts? _____
- Which rule is the **ONLY** rule that multiplies? _____
- Are the angles and side lengths congruent for **rotations**? Circle one: **YES NO SOMETIMES**
- What is a **dilation** called that gets bigger? _____
- What transformation is described by the rule $(x, y) \rightarrow (-y, x)$? _____
- What transformation is described by the rule $(x, y) \rightarrow (x - 1, y)$? _____
- What transformation is described by the rule $(x, y) \rightarrow (0.5x, 0.5y)$? _____
- What transformation is described by the rule $(x, y) \rightarrow (x, -y)$? _____

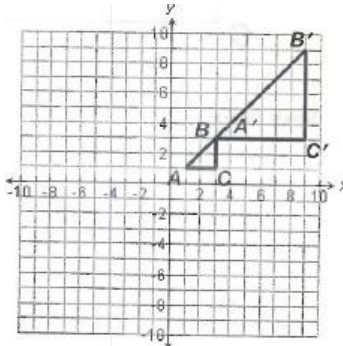
Problems 9 through 12: What transformation is represented by each graph?



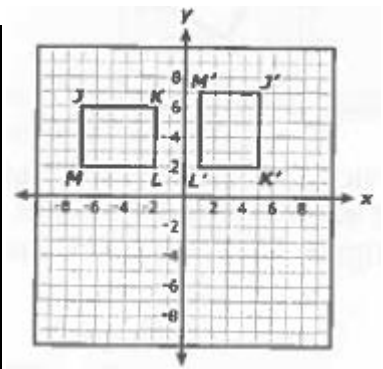
Answer:



Answer:



Answer:

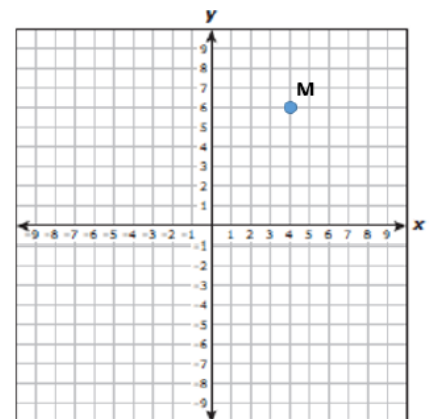


Answer:

Directions: **Rotate** the shape, if required. Determine the rule for the **rotation**.

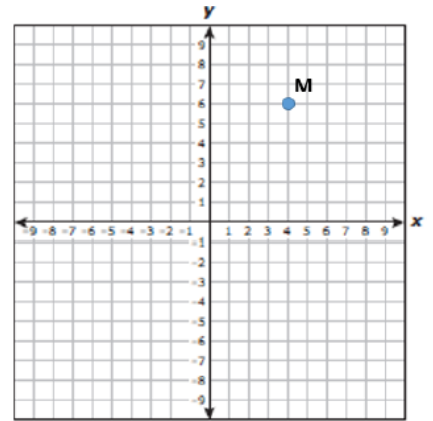
- Point M has coordinates of $(4, 6)$. **Rotate** Point M **90° clockwise**. What are the new coordinates for Point M'?

Point	(x, y) Coordinate
M	$(4, 6)$
M'	(\quad , \quad)



What is the rule for the **rotation**? $(x, y) \rightarrow (\quad , \quad)$

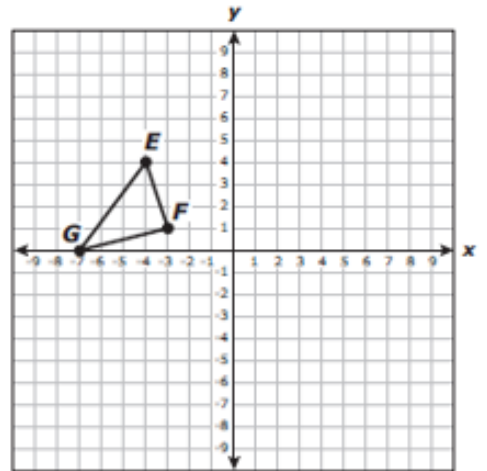
2. Point M has coordinates of (4 , 6). **Rotate** Point M 90° *counter-clockwise*. What are the new coordinates for Point M'?



What is the rule for the **rotation**? $(x, y) \rightarrow (\underline{\hspace{2cm}} , \underline{\hspace{2cm}})$

3. Triangle GEF has coordinates as shown below. What are the coordinates of Triangle GEF after a 180° *counter-clockwise rotation*. Fill in the table.

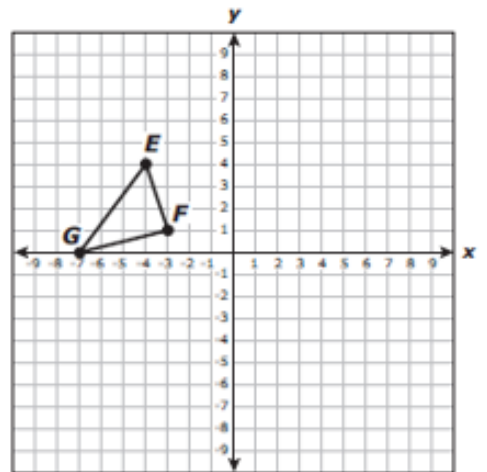
Point	(x , y) Coordinate
G	(-7 , 0)
G'	(,)
E	(-4 , 4)
E'	(,)
F	(-3 , 1)
F'	(,)



What is the rule for the **rotation**? $(x, y) \rightarrow (\underline{\hspace{2cm}} , \underline{\hspace{2cm}})$

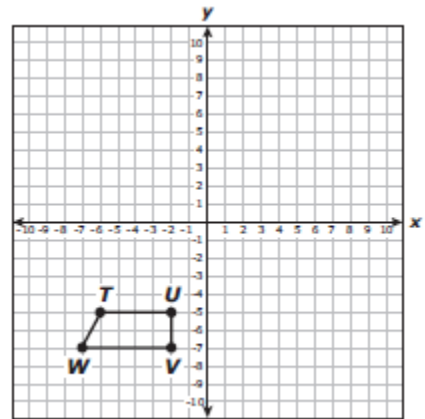
4. Triangle GEF has coordinates as shown below. What are the coordinates of Triangle GEF after a 270° *clockwise rotation*. Fill in the table.

Point	(x , y) Coordinate
G	(-7 , 0)
G'	(,)
E	(-4 , 4)
E'	(,)
F	(-3 , 1)
F'	(,)



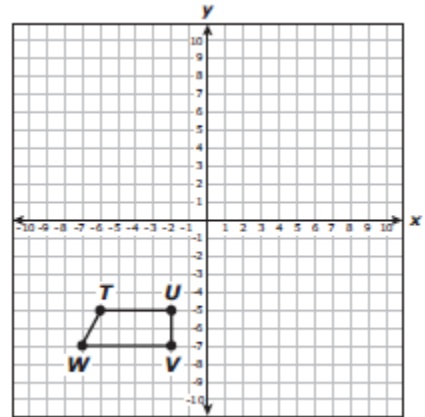
What is the rule for the **rotation**? $(x, y) \rightarrow (\underline{\hspace{2cm}} , \underline{\hspace{2cm}})$

5. Trapezoid TUVW is as shown. If the vertices were **reflected across the x-axis**, what would be the rule?



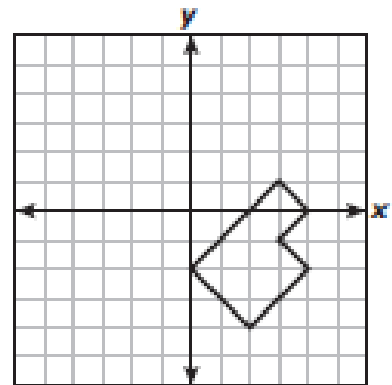
$$(x, y) \rightarrow (\underline{\hspace{2cm}} , \underline{\hspace{2cm}})$$

6. Trapezoid TUVW is as shown. If the vertices were **rotated 90° clockwise**, what would be the rule?



$$(x, y) \rightarrow (\underline{\hspace{2cm}} , \underline{\hspace{2cm}})$$

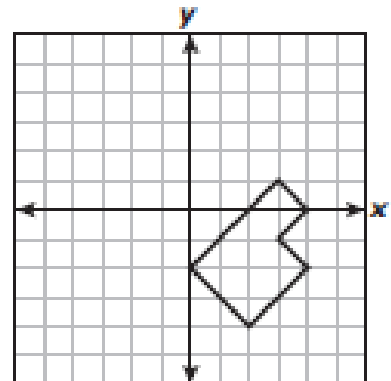
7. **Translate** the figure 2 units down and 5 units left.



What is the rule for the **translation**?

$$(x, y) \rightarrow (\underline{\hspace{2cm}} , \underline{\hspace{2cm}})$$

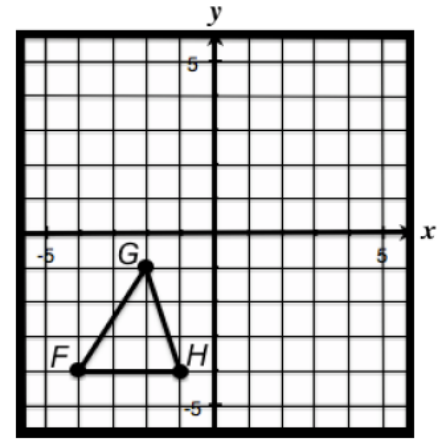
8. **Rotate** the figure **90° counter-clockwise**.



What is the rule for the **rotation**?

$$(x, y) \rightarrow (\underline{\hspace{2cm}} , \underline{\hspace{2cm}})$$

9. Triangle FGH was **rotated** to create Triangle F'G'H'.
As shown, Vertex F was at $(-4, -4)$.



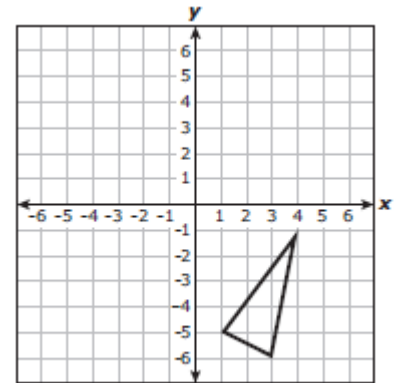
If Vertex F' is now at $(4, 4)$, which rule describes this **rotation**?

- A. $(x, y) \rightarrow (x + 8, y + 4)$
- B. $(x, y) \rightarrow (-x, -y)$
- C. $(x, y) \rightarrow (y, -x)$
- D. $(x, y) \rightarrow (-x, y)$

10. **Rotate** the triangle **180° clockwise**.

What is the rule for the **rotation**?

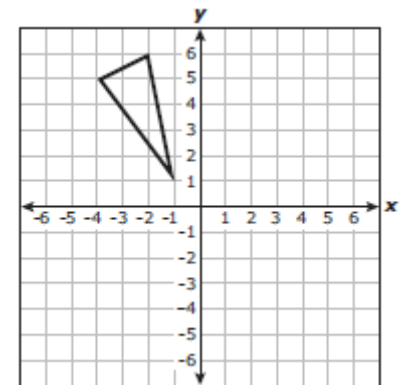
$(x, y) \rightarrow (\underline{\hspace{2cm}} , \underline{\hspace{2cm}})$



11. **Rotate** the triangle **270° counter-clockwise**.

What is the rule for the **rotation**?

$(x, y) \rightarrow (\underline{\hspace{2cm}} , \underline{\hspace{2cm}})$



12. What are the **TWO** rules for **reflections**? $(x, y) \rightarrow (\underline{\hspace{1cm}} , \underline{\hspace{1cm}})$ and $(x, y) \rightarrow (\underline{\hspace{1cm}} , \underline{\hspace{1cm}})$

13. Which transformation has the **ONLY** rule that ADDS or SUBTRACTS? _____

14. Are the sides and angles of **rotations** congruent? **YES** **NO** **SOMETIMES**

15. Which transformation has the **ONLY** rule that multiplies? _____

16. What are the **FOUR** rules for **rotations**? $(x, y) \rightarrow (\underline{\hspace{1cm}} , \underline{\hspace{1cm}})$; $(x, y) \rightarrow (\underline{\hspace{1cm}} , \underline{\hspace{1cm}})$
 $(x, y) \rightarrow (\underline{\hspace{1cm}} , \underline{\hspace{1cm}})$; $(x, y) \rightarrow (\underline{\hspace{1cm}} , \underline{\hspace{1cm}})$